High-performance scientific computing using julia

R³school/ELIXIR Training, <u>Mirek Kratochvíl</u>, <u>Oliver Hunewald</u> April 22, 2021



High performance scientific computing using Julia

1. Basics and motivation

Why would you want to choose Julia for your next project? Language primer and some distinctive features. Starting now, 45 minutes, followed by short Q&A and break (15 minutes)

2. Scientific data processing

Tables, matrices, plots, files, ...

Start at 14:00 (UTC+02:00), 45 minutes, followed by Q&A + break

3. Scaling your algorithms up

HPC, parallelization and distributed processing Start at 15:00 (UTC+02:00), 45 minutes, followed by Q&A, possibly problem-solving session

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Who's talking?



Oliver Hunewald (LIH)



Miroslav Kratochvíl (LCSB Uni.lu)

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Fun fact: We met because of a Julia project!



https://elixir-luxembourg.github.io/julia-training/

Let's start with some motivation

julia

WIKIPEDIA: Julia is a high-level, high-performance, dynamic programming language. While it is a general-purpose language and can be used to write any application, many of its features are well suited for numerical analysis and computational science. Distinctive aspects of Julia's design include a type system with parametric polymorphism in a dynamic programming language; with multiple dispatch as its core programming paradigm. Julia supports...

...but why?

Julia produces efficient programs.

Code is compiled to optimized machine representation before being executed. That means that your programs run very fast, you produce more results&insight in less time, and consume less energy.

The code is still very high-level.

You don't need to care about technical details as in other compiled languages. Most programs feel like in the usual scripting languages.

The ecosystem has a lot of goodies.

A great interpreter, easy distributed programming, wonderful modern packaging system, <u>Ju</u>pyter notebooks.

- Programs are evaluated by CPUs
- CPUs can hold a few numbers and execute instructions that modify them:
 - \cdot simple math
 - $\cdot \,$ load a number from RAM, save a number to RAM
 - ...
- \cdot All instructions are predictably fast
 - $\cdot\,\,$ adding 2 numbers usually takes 1 CPU cycle in 2021, that's around 0.3ns
 - load/save takes a few cycles (from CPU cache) to 100's of cycles (from main memory)

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Python/R: a+1

How many instructions does this take?

Python/R: a+1

- 1. Check if a exists in the available variables
- 2. Find address of a
- 3. Check if a is an actual object or null
- 4. Find if there is __add__ in the object, get its address
- 5. Find if __add__ is a function with 2 parameters
- 6. Load the value of a
- 7. Call the function, push Python call stack
- 8. Find if 1 is an integer and can be added
- 9. Check if a has a primitive representation (ie. not a big-int)
- 10. Run the primitive addition instruction (1 cycle!)
- 11. Pop Python call stack
- 12. Save the result to the place where Python can work with it

Python/R: a+1

...with static types

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Python/R: a+1

...with static memory management

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Python/R: a+1

...compiled with machine type support

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Python/R: a+1

...with some compiler optimizations

- 1. Check if a exists in the available variables
- 2. Find address of a
- 3. Check if a is an actual object or null
- 4. Find if there is __add__ in the object, get its address
- 5. Find if __add__ is a function with 2 parameters
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- 7. Call the function, push Python call stack
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Python / R

- · Import a library written in another language
- · Do not touch the data directly
- Only use library-defined API calls

import numpy as np

So how do I write efficient code?

Python / R

- · Import a library written in another language
- · Do not touch the data directly
- Only use library-defined API calls

import numpy as np

julia

- · A precompiled, typed, partially staticized language
- Syntactic tools to make array processing easy
- · Manual work with data is not slow

а	=	[123;	234;]
b	=	[234;]	
С	=	а	.* b		

So how do I write efficient code?

Python / R

- · Import a library written in another language
- Do not touch the data directly
- Only use library-defined API calls

import numpy as np

julia

- · A precompiled, typed, partially staticized language
- Syntactic tools to make array processing easy
- Manual work with data is not slow

a = [1 2 3; 2 3 4; ...] b = [2 3 4; ...] c = a .* b

Same performance:

```
c = zeros(size(a))
for i = 1:size(a, 1)
  for j = 1:size(a, 2)
      c[i,j] = a[i,j] * b[i,j]
  end
end
```

Catch: We're scientists, we will very likely need to use a novel algorithm.

Catch: We're scientists, we will very likely need to use a novel algorithm.

```
function LevenshteinDistance(char s[1..m], char t[1..n]):
 // for all i and i. d[i.i] will hold the Levenshtein distance between
 // the first i characters of s and the first j characters of t
  declare int d[0..m. 0..n]
  set each element in d to zero
 // source prefixes can be transformed into empty string by
 // dropping all characters
 for i from 1 to m:
      d[i. 0] := i
 // target prefixes can be reached from empty source prefix
 // by inserting every character
  for i from 1 to n:
      d[0, i] := i
  for i from 1 to n:
      for i from 1 to m:
         if s[i] = t[i]:
            substitutionCost := 0
          else:
           substitutionCost := 1
         d[i, j] := minimum(d[i-1, j] + 1.
                                                             // deletion
                            d[i, i-1] + 1.
                                                             // insertion
                             d[i-1, j-1] + substitutionCost) // substitution
 return d[m. n]
```

Wikipedia: Levenshtein distance pseudocode

Catch: We're scientists, we will very likely need to use a novel algorithm.

```
function levenshteinMatrix(s::Vector, t::Vector)
  m, n = length(s), length(t)
  d = zeros(Int, m+1, n+1)
  for i = 1:m
   d[i+1,1] = i
  end
  for i = 1:n
   d[1,i+1] = i
  end
  for i = 1:m
    for j = 1:n
      substCost = s[i] = t[i] ? 0 : 1
      d[i+1, j+1] =
        min(d[i, j+1] + 1,
            d[i+1. j] + 1.
            d[i, j] + substCost)
    end
  end
  return d
end
```

Catch: We're scientists, we will very likely need to use a novel algorithm.

What if I try another language?

- C speedup: ≤1.5×
- R/Python slowdown: ≥50×

```
function levenshteinMatrix(s::Vector, t::Vector)
  m. n = length(s). length(t)
  d = zeros(Int. m+1. n+1)
  for i = 1:m
   d[i+1,1] = i
  end
  for i = 1:n
   d[1,i+1] = i
  end
  for i = 1:m
    for j = 1:n
      substCost = s[i] = t[i] ? 0 : 1
      d[i+1, i+1] =
        min(d[i, j+1] + 1,
            d[i+1. j] + 1.
            d[i, i] + substCost)
    end
  end
  return d
end
```

julia> levenshteinMatrix(collect("kitten"), collect("sitting"))
7×8 Array{Int64,2}:

0	1	2	3	4	5	6	7
1	1	2	3	4	5	6	7
2	2	1	2	3	4	5	6
3	3	2	1	2	3	4	5
4	4	3	2	1	2	3	4
5	5	4	3		2	3	4
6	6	5	4	3	3	2	3

		S	i	t	t	i	n	g
	0	1	2	3	4	5	6	7
k	1	1	2	3	4	5	6	7
i	2	2	1	2	3	4	5	6
t	3	3	2	1	2	3	4	5
t	4	4	3	2	1	2	3	4
е	5	5	4	3	2	2	3	4
n	6	6	5	4	3	3	2	3

Starting up

Julia is available for most operating systems. (We work regularly on Linuxes, Macs and Windows.)

- Linux:
 - \cdot apt-get install julia
 - \cdot pacman install julia
 - \cdot emerge julia
 - ...
- Mac&Windows: download from julialang.org

~ \$ julia



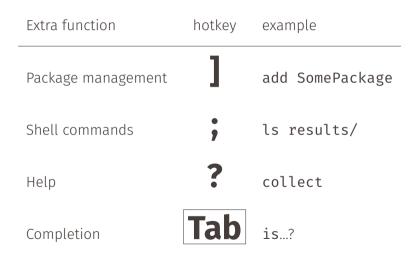
Documentation: https://docs.julialang.org

```
Type "?" for help, "]?" for Pkg help.
```

```
Version 1.5.3
Debian ∴ julia/1.5.3+dfsg-3
```

julia> 1+1

julia>



Basic language and syntax

a = b + 123 / c R a <- b + 123 / c

julia

```
print(123)
print("Hello!")
a = 23
print("A is now %d, twice A is %d"%(a, 2*a))
```

R

```
print(123)
print("Hello!")
a <- 23
print(paste0("A is now ", a, ", twice A is" , a*2))</pre>
```

julia

```
@info "We're progressing!" a
```

...prints out:

```
[ Info: We're progressing!
a = 23
```

@warn "Oh no, something looks bad" a
...prints out:

```
Warning: Oh no, something looks bad
    a = 23
    @ Main REPL[3]:1
```

• Tuples
 (1, 5.23, "test")

• Tuples

• Named tuples

• Tuples

• Named tuples

• Structures

```
struct MyData
    x::Int
    y::Float64
    name::String
end
```

• Tuples

• Named tuples

• Structures

```
struct MyData
    x::Int
    y::Float64
    name::String
end
```

 $\cdot\,$ Constructors and accessors

```
a = MyData(2,3,"item")
a.x, a.name, ...
```

```
vec = [1,2,3,4,5]
mtx = [1 2 3; 4 5 6; 0 0.123 0]
julia> mtx
3×3 Array{Float64,2}:
1.0 2.0 3.0
4.0 5.0 6.0
0.0 0.123 0.0
```

```
vec = [1,2,3,4,5]
mtx = [1 2 3; 4 5 6; 0 0.123 0]
julia> mtx
3×3 Array{Float64,2}:
1.0 2.0 3.0
4.0 5.0 6.0
0.0 0.123 0.0
```

```
vec = [1,2,3,4,5]
mtx = [1 2 3; 4 5 6; 0 0.123 0]
julia> mtx * mtx
3×3 Array{Float64,2}:
9.0 12.369 15.0
24.0 33.738 42.0
```

0.492 0.615 0.738

```
vec = [1,2,3,4,5]
mtx = [1 2 3; 4 5 6; 0 0.123 0]
```

```
julia> mtx .* mtx
3×3 Array{Float64,2}:
    1.0     4.0          9.0
    16.0     25.0          36.0
    0.0     0.015129     0.0
```

```
vec = [1,2,3,4,5]
mtx = [1 2 3; 4 5 6; 0 0.123 0]
julia> vec[2]
2
```

```
vec = [1,2,3,4,5]
mtx = [1 2 3; 4 5 6; 0 0.123 0]
julia> mtx[2,:]
3-element Array{Float64,1}:
    4.0
    5.0
    6.0
```

```
vec = [1,2,3,4,5]
mtx = [1 2 3; 4 5 6; 0 0.123 0]
julia> mtx[:,2:3]
3×2 ArrayFloat64,2:
2.0 3.0
5.0 6.0
0.123 0.0
```

```
vec = [1,2,3,4,5]
mtx = [1 2 3; 4 5 6; 0 0.123 0]
julia> mtx[:,2]' * mtx[2,:]
33.738
```

Control structures — conditionals

Python

if a>=1: print("okay") else: a = 1R if(a > = 1)print("okay") else a <- 1

julia

```
if a > = 1
  println("okay")
else
  a = 1
end
# same:
if a>=1 println("okay")
else a = 1 end
```

```
for i in range(10):
    print(i)
```

R

for(i in 1:10) print(i)

julia

```
for i in 1:10
    println(i)
end
```

```
# vectorized syntax:
println.(1:10);
```

while i<5: i += 1

R

while (i<5) i <- i+1

julia

while i<5 i += 1 end

```
def myFunction(x, y)
z = 2*x*y
return (x+y+z)/3
```

R

```
myFunction <- function(x, y) {
    z <- 2*x*y
    (x+y+z)/3
}</pre>
```

julia

function myFunction(x, y)
z = 2*x*y
return (x+y+z)/3
end

R

```
myFunction <- function(x, y) {
    z <- 2*x*y
    (x+y+z)/3
}</pre>
```

julia

function myFunction(x, y)
z = 2*x*y
return (x+y+z)/3
end

shorter syntax: myFunction(x, y) = (x+y+2*x*y)/3

```
def myFunction(x, y)
z = 2*x*y
return (x+y+z)/3
```

R

```
myFunction <- function(x, y) {
    z <- 2*x*y
    (x+y+z)/3
}</pre>
```

julia

function myFunction(
 x::Number, y::Number)
 z = 2*x*y
 return (x+y+z)/3
end

Generating ranges with colons:

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Generating arrays:

 $[a^2 for a = 1:10]$

Generating ranges with colons:

Generating arrays:

 $[a^2 \text{ for } a = 1:10] == [1, 4, 9, 16, \dots, 100]$

...also zeros, ones, fill, rand, randn, size, length, cat, ...

Generating ranges with colons:

Generating arrays:

...also **zeros**, **ones**, **fill**, **rand**, **randn**, **size**, **length**, **cat**, ... Broadcasting over arrays:

1 .+ [1,2,3] == [2,3,4]

```
julia> vcat([1,2], [3,4])
4-element Array{Int64,1}:
 1
 2
 3
 4
julia> hcat([1,2], [3,4])
2 \times 2 Array{Int64,2}:
 1
   3
 2
    4
```

```
julia> vcat([1,2], [3,4])
4-element Array{Int64,1}:
 1
 2
 3
 4
julia> hcat([1,2], [3,4])
2 \times 2 Array{Int64.2}:
 1
   3
 2
    4
```

```
julia> a=[fill(i, (2,2)) for i in 1:5]
5-element Array{Array{Int64,2},1}:
  [1 1; 1 1]
  [2 2; 2 2]
  [3 3; 3 3]
  [4 4; 4 4]
  [5 5; 5 5]
```

```
julia> vcat([1,2], [3,4])
4-element Array{Int64,1}:
 1
 2
 3
 4
julia> hcat([1,2], [3,4])
2×2 Arrav{Int64.2}:
 1
   3
 2
    4
```

```
julia> a=[fill(i, (2,2)) for i in 1:5]
julia> hcat(a...)
2×10 Array{Int64,2}:
1 1 2 2 3 3 4 4 5 5
1 1 2 2 3 3 4 4 5 5
```

```
julia> vcat([1,2], [3,4])
4-element Array{Int64,1}:
 1
 2
 3
 4
julia> hcat([1,2], [3,4])
2×2 Arrav{Int64.2}:
   3
 1
 2
    4
```

5 5

julia> a=[fill(i, (2,2)) for i in 1:5] julia> vcat(a...) 10×2 Array{Int64,2}: 1 1 3 3

```
julia> vcat([1,2], [3,4])
4-element Array{Int64,1}:
 1
 2
 3
 4
julia> hcat([1,2], [3,4])
2×2 Arrav{Int64.2}:
   3
 1
 2
    4
                                 .
```

```
julia> a=[fill(i, (2,2)) for i in 1:5]
julia> cat(dims=3, a...)
2 \times 2 \times 5 Array{Int64,3}:
[:, :, 1] =
 1 1
 1 1
[:, :, 2] =
 2 2
 2 2
```

function.(array)

- == broadcast(function, array)
- == [function(a) for a in array] # !
- \cdot Works with almost any function and operator

.+ .* ./ .+= .= .== .>= ...

- Makes the 'trivial' code much shorter (and less error-prone)
- Allows the compiler to reorder and parallelize the execution
- $\cdot\,$ Often prevents creation of temporary arrays

Tricky question

What is the difference between

exp.(sin.(randn(10000000)))

and

[exp(x) for x in [sin(x) for x in randn(1000000)]]

Useful collection datatypes

- Keyed collections: Dict("a"=>5, "b"=>3)
 Dict{String,Int64} with 2 entries:
 "b" => 3
 "a" => 5
- Unique sets: Set(["hello", "hola", "hello", "ahoj", "bonjour"])
 Set{String} with 4 elements:
 "hola"
 "hello"
 "ahoj"
 ""

```
"bonjour"
```

Goodies!

Installing and using a package from the REPL

julia> using Pkg
julia> Pkg.add("Plots")

Loading the package:

julia> using Plots

Shortcut with]:

] add Plots

Installing and using a package from the REPL

julia> using Pkg julia> Pkg.add("Plots") Shortcut with]:

] add Plots

Loading the package:

julia> using Plots
julia> x=1:0.1:100

Installing and using a package from the REPL

```
julia> using Pkg
julia> Pkg.add("Plots")
```

Shortcut with]:

```
] add Plots
```

Loading the package:

```
julia> using Plots
julia> x=1:0.1:100
```

```
julia> @time plot(x, sin.(x) .* sin.(0.3 * x))
    0.001081 seconds (10.38 k allocations: 314.336 KiB)
```

Tricky question

Why was the first plot call so slow?

Trickier question

Why 3*1:10 works but 3*[1,2,3] fails?

julia> @time randn(10000,1000) * randn(1000,10000) 4.287222 seconds (25 allocations: 915.547 MiB, 1.88% gc time)

julia> @time randn(10000,1000) * randn(1000,10000)
 4.105074 seconds (6 allocations: 915.528 MiB, 0.13% gc time)

julia> @time randn(10000,1000) * randn(1000,10000)
 4.105074 seconds (6 allocations: 915.528 MiB, 0.13% gc time)

julia> @time randn(1000,10000) * randn(10000,1000) 0.451203 seconds (6 allocations: 160.218 MiB)

```
using FileProcessor
```

```
if isempty(ARGS)
@warn "No arguments, doing nothing!"
end
```

```
t = @timed for fn in ARGS
  @info "Processing file $fn"
  process_file(fn)
end
```

```
@info "Processing took $(t.time)s"
```

```
using FileProcessor
```

```
if isempty(ARGS)
    @warn "No arguments, doing nothing!"
end
```

```
t = @timed for fn in ARGS
@info "Processing file $fn"
process_file(fn)
end
```

```
@info "Processing took $(t.time)s"
```

In console:

\$ julia prog.jl file1.csv file2.csv [Info: Processing file file1.csv [Info: Processing file file2.csv [Info: Processing took 0.0554664386s

End of session 1



Takeaways:

- Julia is similar to many other languages, learning curve is very gentle
- Julia code is efficient by default
- Array broadcasting is a great way to write nice and fast code